Synthetic Solar Data Generation and Linear Power Flow Solver for RL training

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Reinforcement learning for distribution systems



Improving RL training



SODA: An Irradiance-Based Synthetic Solar Data Generation Tool

Motivation and background

- RL agents trained on different solar and load conditions
- Low resolution datasets do not capture solar variability
- High resolution data not available (sparse locations)
- Combine a physics-based method (30-min resolution) with a stochastic model trained on PMU data to generate 1-second solar data



Figure 1: 1-second PMU data vs 30-min NSRDB data

 $^{^{0}\}mbox{The National Solar Radiation Database (NSRDB) has a spatial resolution of 4km and a temporal resolution of 30 minutes$

Motivation and background

Working hypothesis: The conditional distribution of solar power given the cloud density is the same for different locations



Figure 2: SODA block diagram

⁰https://github.com/Ignacio-Losada/SoDa

Showcasing SODA. Synthetic vs PMU data



Figure 3: SODA vs 1-second PMU data from Riverside, CA



Figure 4: SODA vs 1-minute PMU data from Berkeley, CA

Footprint of SODA



Figure 5: Area covered by the NSRDB

Limitations:

- Model does not account for time-of-day variability
- Mismatch NSRDB cloud labels
- Training was done with MW-scale data

Summary:

- We propose a stochastic model trained with PMU data that generates statistically representative 1-second resolution solar data
- This method, unlike NWP, scales for high resolutions
- https://github.com/Ignacio-Losada/SoDa

Improving RL training



Log(v) 3LPF: A linearized solution to train reinforcement learning algorithms for distribution systems

Reinforcement learning on distribution systems, PPO-Clip



Figure 6: Current PyCigar modeling diagram (left) vs proposed architecture (right)

Reinforcement learning on distribution systems, PPO-Clip

- Power Flow (PF) equations are used to compute the rewards
- Rewards computed every training iteration, every time step and every action sampled by the RL algorithm
- Linear 3-phase unbalanced PF solver to speed up the training process

Formulation:OpenDSS
$$\rightarrow$$
 $i = Y_{bus} v$ Log(v) 3LPF: \rightarrow $s = D(vv^H Y_{bus}^H)$



Figure 7: Pi-Model representation

• Modeling capabilities

- Embedded linear power flow solver
- ZIP load models
- Transformers, 3-phase and 240/120V center-tapped
- Voltage regulators and controls
- Capacitor banks and controls

Modeling accuracy

- PF solution validated against OpenDSS
- Modeling of devices matches that of OpenDSS

Kirchoff + Ohm + Losses:

$$\boldsymbol{S}_{nm}^{(n)} = \boldsymbol{v}_{n} \boldsymbol{v}_{n}^{H} \left(\boldsymbol{Y}_{nm}^{(n)} + \frac{1}{2} \boldsymbol{Y}_{nm}^{s} \right)^{H} + \boldsymbol{v}_{n} \boldsymbol{v}_{m}^{H} \left(\boldsymbol{Y}_{nm}^{(m)} \right)^{H}$$

We want to remove the non-linearity $v_n v_n^H$ from the equation that relates power flows to voltage

$$\boldsymbol{v}_{n} := \left[\left| v_{n}^{a} \right| e^{j\theta_{a}}, \left| v_{n}^{b} \right| e^{j\theta_{b}}, \left| v_{n}^{c} \right| e^{j\theta_{c}} \right]^{T}$$
(1)

$$|v_n^p| = e^{\log|v_n^p|}, \quad u_n^p := \log|v_n^p|$$
⁽²⁾

$$v_n^{\rho} = e^{u_n^{\rho}} e^{j\theta_{\rho}} \tag{3}$$

First-order Taylor expansion around 1 p.u. and 0 degree angles

Non-linear ACPF:
$$\boldsymbol{S}_{nm}^{(n)} = \boldsymbol{v}_n \boldsymbol{v}_n^H \left(\boldsymbol{Y}_{nm}^{(n)} + \frac{1}{2} \boldsymbol{Y}_{nm}^s \right)^H + \boldsymbol{v}_n \boldsymbol{v}_m^H \left(\boldsymbol{Y}_{nm}^{(m)} \right)^H$$

Expanding, dropping high-order terms, we may obtain

Log(v) 3LPF (Linear):

$$\tilde{s}_{nm} \approx \tilde{Y}_{bus} x$$
 where $x \triangleq \begin{bmatrix} u\\ \tilde{\theta} \end{bmatrix}$ (4)

$$\mathbf{x} pprox \widetilde{\mathsf{Y}}_{\mathsf{bus}}^{-1} \widetilde{\mathbf{s}}_{\mathsf{nm}}$$

and we may recover the voltage phasors as follows

$$oldsymbol{v}pproxoldsymbol{\Delta}_3 ext{diag}\left(e^{oldsymbol{u}}
ight)e^{j ilde{oldsymbol{ heta}}_n}$$

Outperforming OpenDSS when computing the PF solution

- Matrix Inversion, $\tilde{Y}_{\text{bus}}^{-1}$
 - Gauss-Jordan: $\mathcal{O}(n^3)$
 - LU decomposition (OpenDSS): $O\left(\frac{2}{3}n^3\right)$
 - Sherman-Morrison-Woodbury: $\rightarrow \mathcal{O}\left(\left(2n+1\right)k^2+3k^3\right)$

$$(A + UBV)^{-1} = A^{-1} - A^{-1}U (I + BVA^{-1}U)^{-1} BVA^{-1}$$
 (5)

• Fixed-point iterations, $\mathcal{O}\left(n^2\right)$

Table 1: LU vs SMW in MFLOPS

	IEEE 13	IEEE 37	IEEE 123	IEEE 8500
LU	0.4	8.5	114	3311300
SMW	0.1	0.5	9.6	19.7
Ratio	4	17	12	168000

Solving one snapshot of the IEEE-123 test case



OpenDSS vs Log(V) 3LPF for testing policies



Figure 8: Voltage Imbalance attack



Figure 9: Voltage Oscillation attack

Training with OpenDSS vs Log(V) 3LPF. Average regret



Training with OpenDSS vs Log(V) 3LPF. Policy evaluation



Limitations:

- OpenDSS rarely inverts the system matrix
- OpenDSS convergence achieved in 3-4 iterations

Summary:

- We provide a linear PF solver with all necessary modeling capabilities
- Fast inverse computation
- Convergence is guaranteed (single iteration, linear)
- Model is, unlike OpenDSS, not sensitive to fast changes in boundary conditions